

## A fotoionizáció spektroszkópai alkalmazásai

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- 2) Fotoelektron-spektroszkópia (UPS, XPS)
- 3) A kísérleti berendezés
- 4) A fotoelektron (pe) spektrum
- 5) Sávszerkezet
  - Rezgési szerkezet
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  - Jahn-Teller effektus
  - Disszociáció
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  - Nyílthéjú rendszerek
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- 8) A fotoionizációs tömegspektrometria
- 9) Fotoelektron-fotoion-koincidencia (PEPICO)
- 10) Zérus kinetikus energia(jú elektronok analízisén alapuló) spektroszkópia (ZEKE)
- 11) Röntgengerjesztéses fotoelektron-spektroszkópia (XPS)

## Bevezetés

### **1) A fotoelektromos hatás**

*Phillip vonLenard (1902): "The number of electrons depended on the intensity of light and not its colour."*

*Albert Einstein: the law of the photoelectric effect (1905)*

*Noble Prize (1921)*

### **2) Történeti áttekintés (UPS, XPS)**

### **3) Gerjesztési és ionizációs folyamatok, ionizáló részecskék**

### **4) A küszöbtörvény**

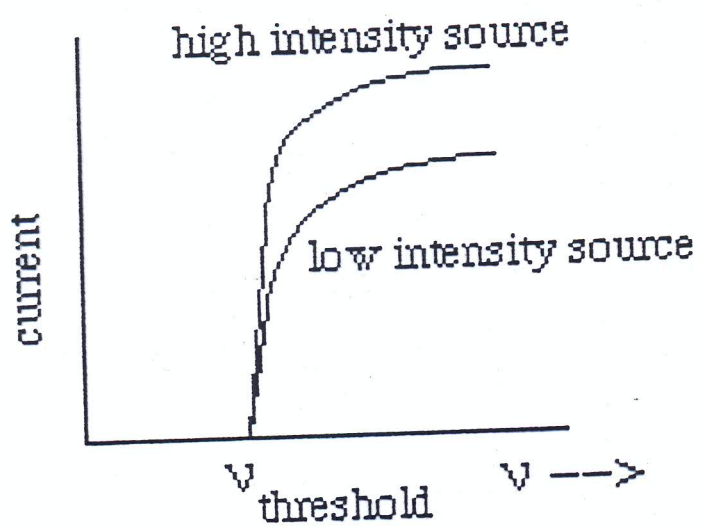
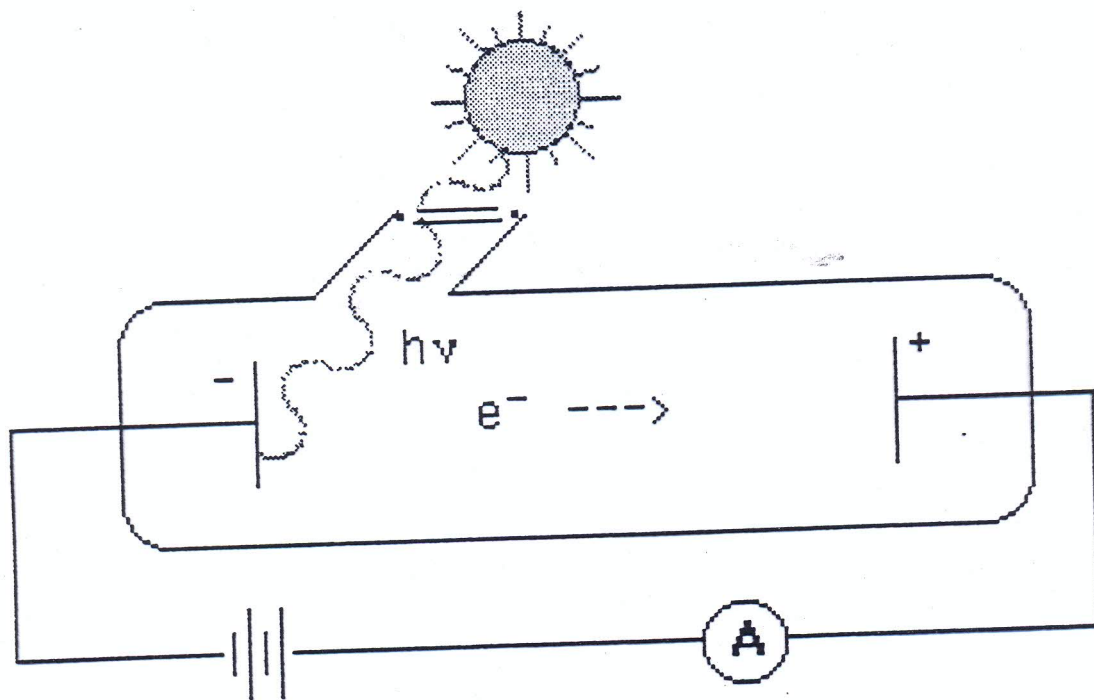
### **5) Ionizációs mechanizmusok**

### **6) A pe spektrum kialakulása**

### **7) A keletkezett ionok „sorsa”**

### **8) Fotoionizációs hatáskeresztmetszet**

### **9) Franck-Condon-elv**





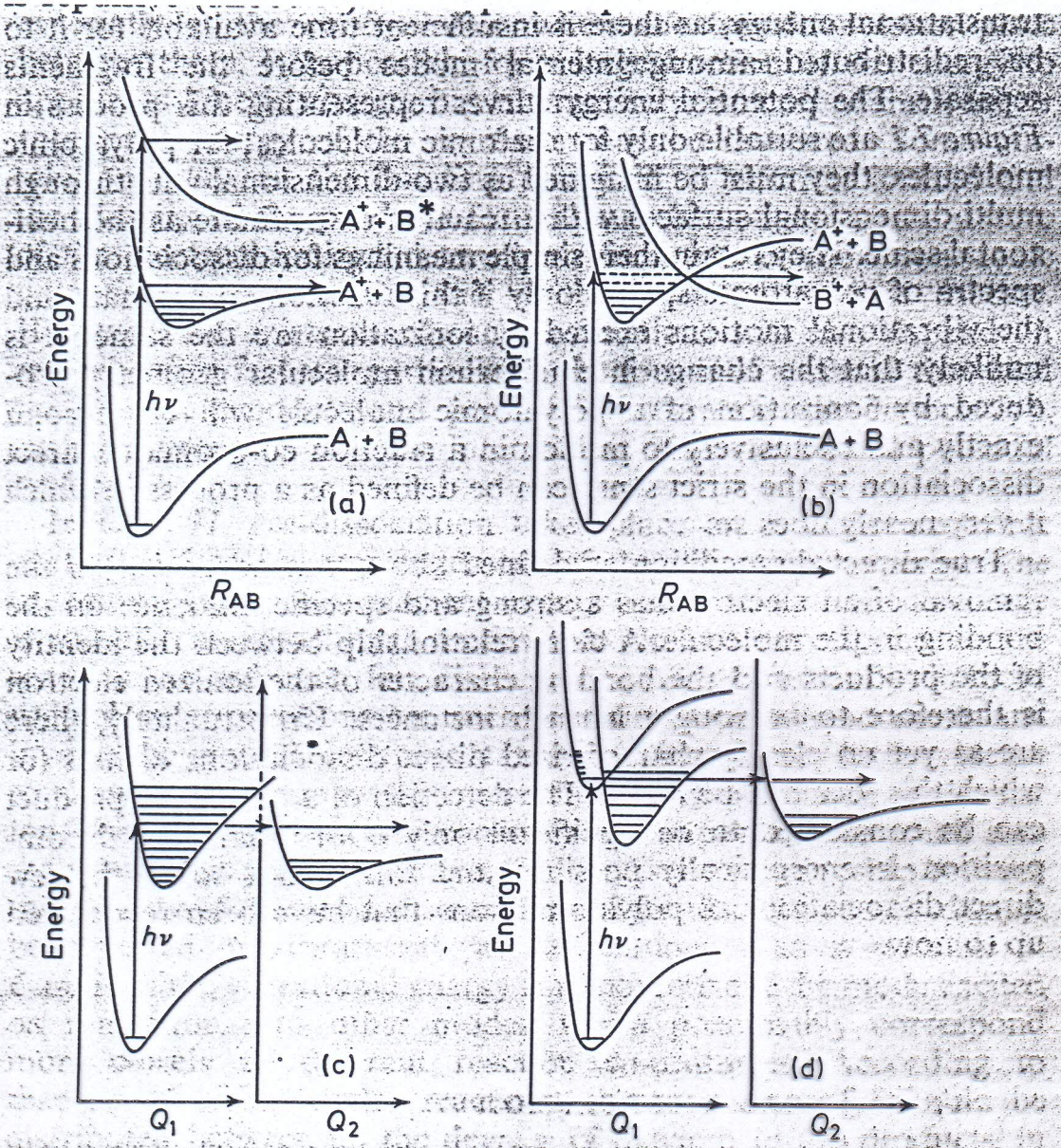


Figure 7.1. Potential energy curves illustrating some important dissociation mechanisms: (a) direct dissociation; (b) electronic pre-dissociation; (c) vibrational pre-dissociation; (d) internal conversion with vibrational pre-dissociation. In (c) and (d) the co-ordinates  $Q_1$  and  $Q_2$  represent different molecular motions in a polyatomic molecule



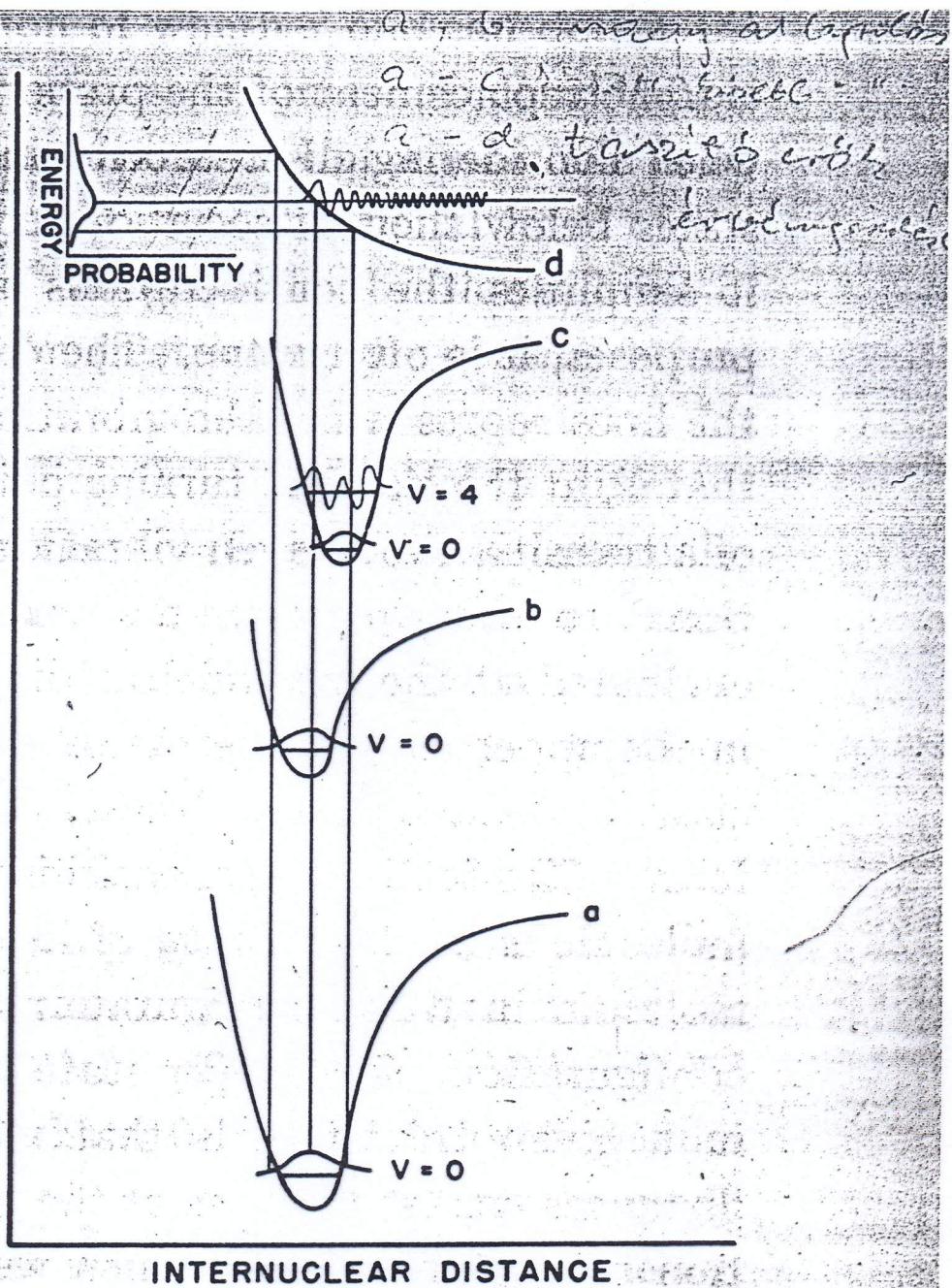


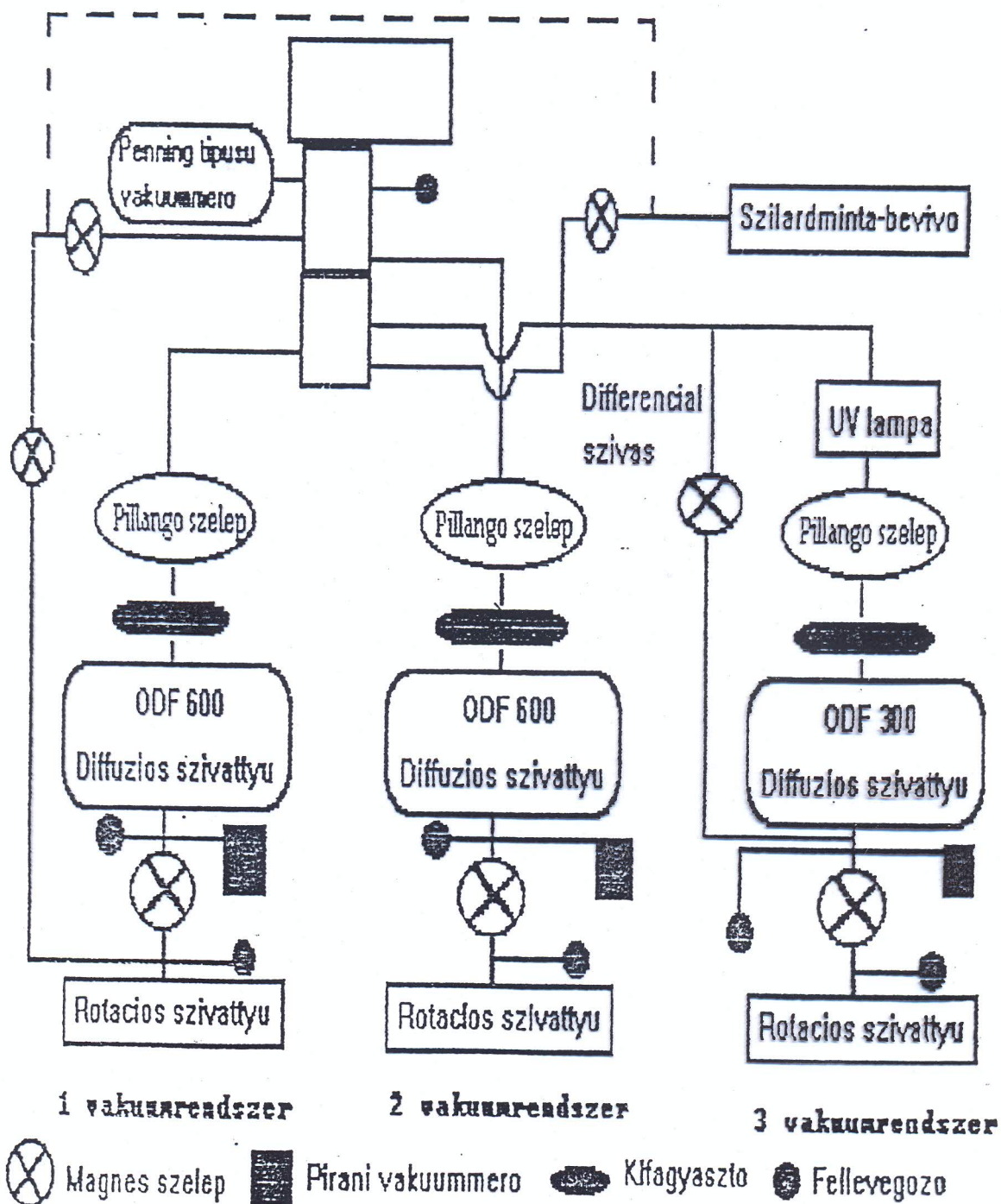
FIG. 21. Illustrative diatomic molecule and molecule-ion potential energy curves. The actual energy difference between curves a and b, c, and d is much greater than represented.

$$FCF = |\langle \chi_{v'} | \chi_{v''} \rangle|^2$$

$\chi_{v''}$  = vibr. wave funct. in the M

$\chi_{v'}$  = vibr. wave funct. in the M<sup>+</sup>

## AZ UPS berendezéses vákuumszerve



2. ábra



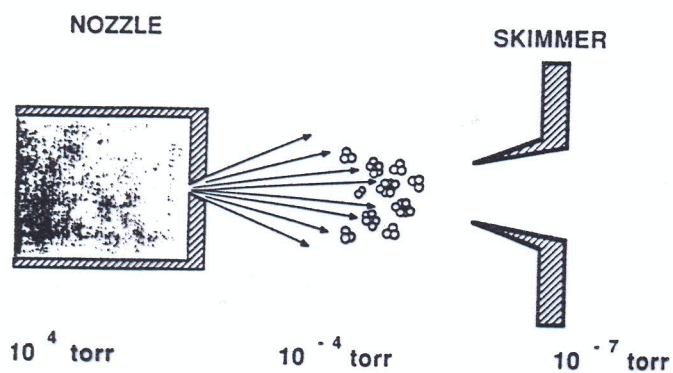
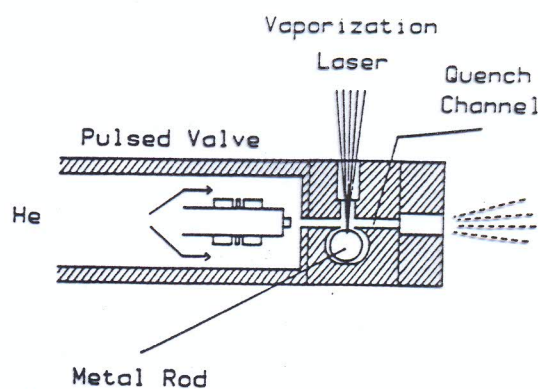


Figure 2. Illustration of the supersonic expansion method of synthesizing beams of atomic clusters. See text for description.

Figure 3. Illustration of the laser vaporization flow condensation method for synthesis of metal or semi-metal clusters. The pulsed gas valve is placed in a high-vacuum chamber, and synchronous pulses from a focused laser beam repeatedly irradiate the rotating target. At right, the gas jet expands into vacuum. (Adapted from Reference 35.)



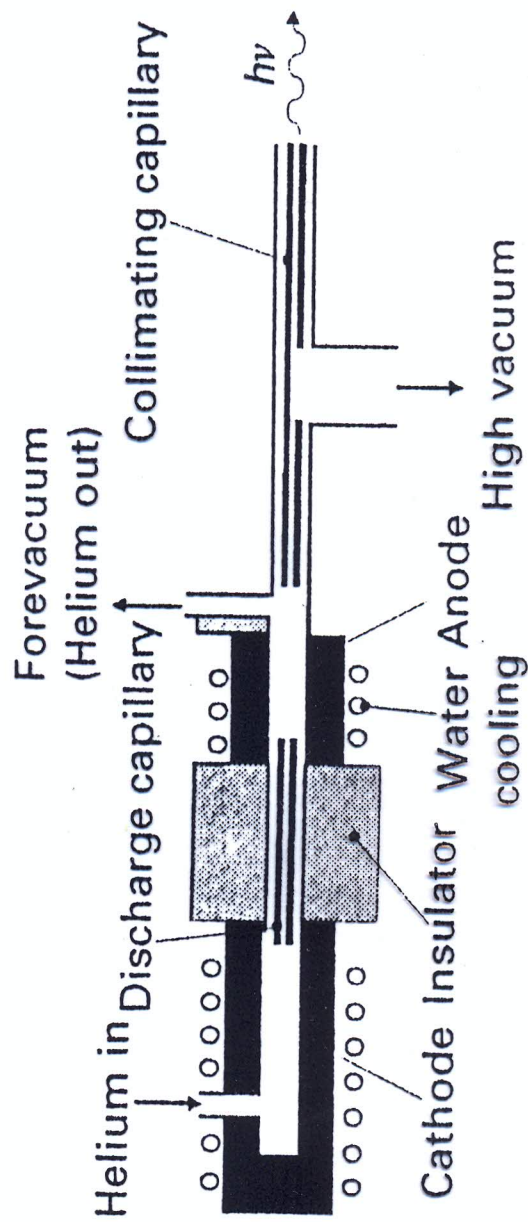
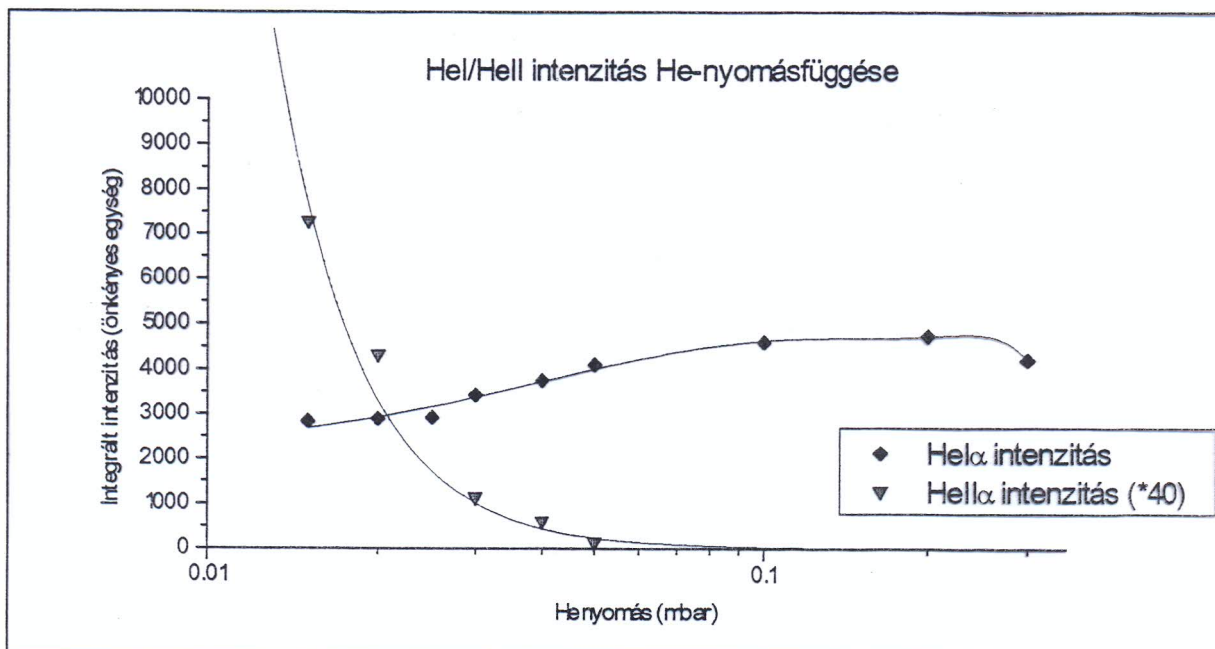


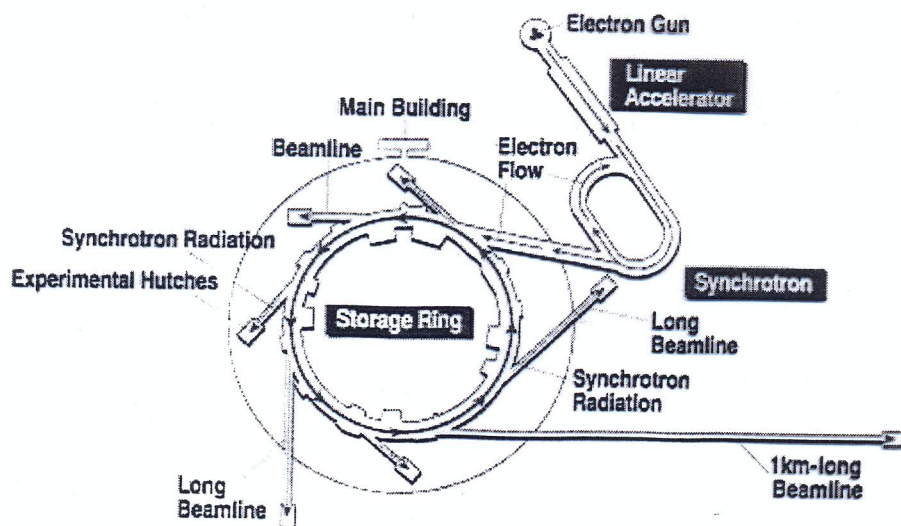
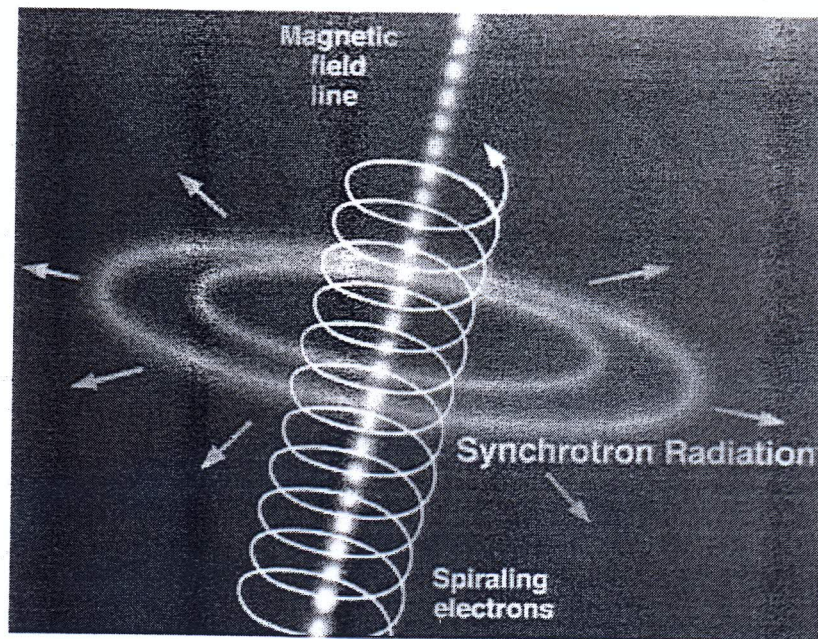
Figure 3 Low-pressure helium d.c. discharge lamp.



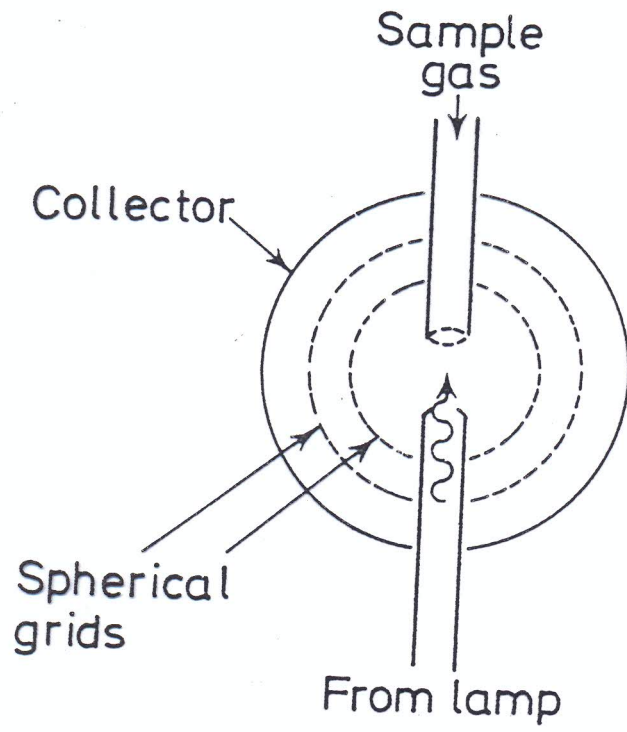
Vonal	energia eV	hullámhossz nm	rel. intenzitás
<b>He I<math>\alpha</math></b>	<b>21,2175</b>	<b>58,43340</b>	<b>100</b>
He I $\beta$	23,0865	53,70296	2
He I $\gamma$	23,7415	52,22128	0,5
<b>He II<math>\alpha</math></b>	<b>40,8136</b>	<b>30,3781</b>	<b>100</b>
He II $\beta$	48,3702	25,6317	5
He II $\gamma$	51,0153	24,3027	
He II $\delta$	52,2397	23,7331	
H Lyman $\alpha$	10,1986	121,567	100
H Lyman $\beta$	12,0872	102,57	10
H Lyman $\gamma$	12,7482	97,25	1
Ne I $\alpha$	16,6704 16,8476	74,36 73,5895	15 100



Ar  $^2P_{3/2}$  ionizáció







(c)

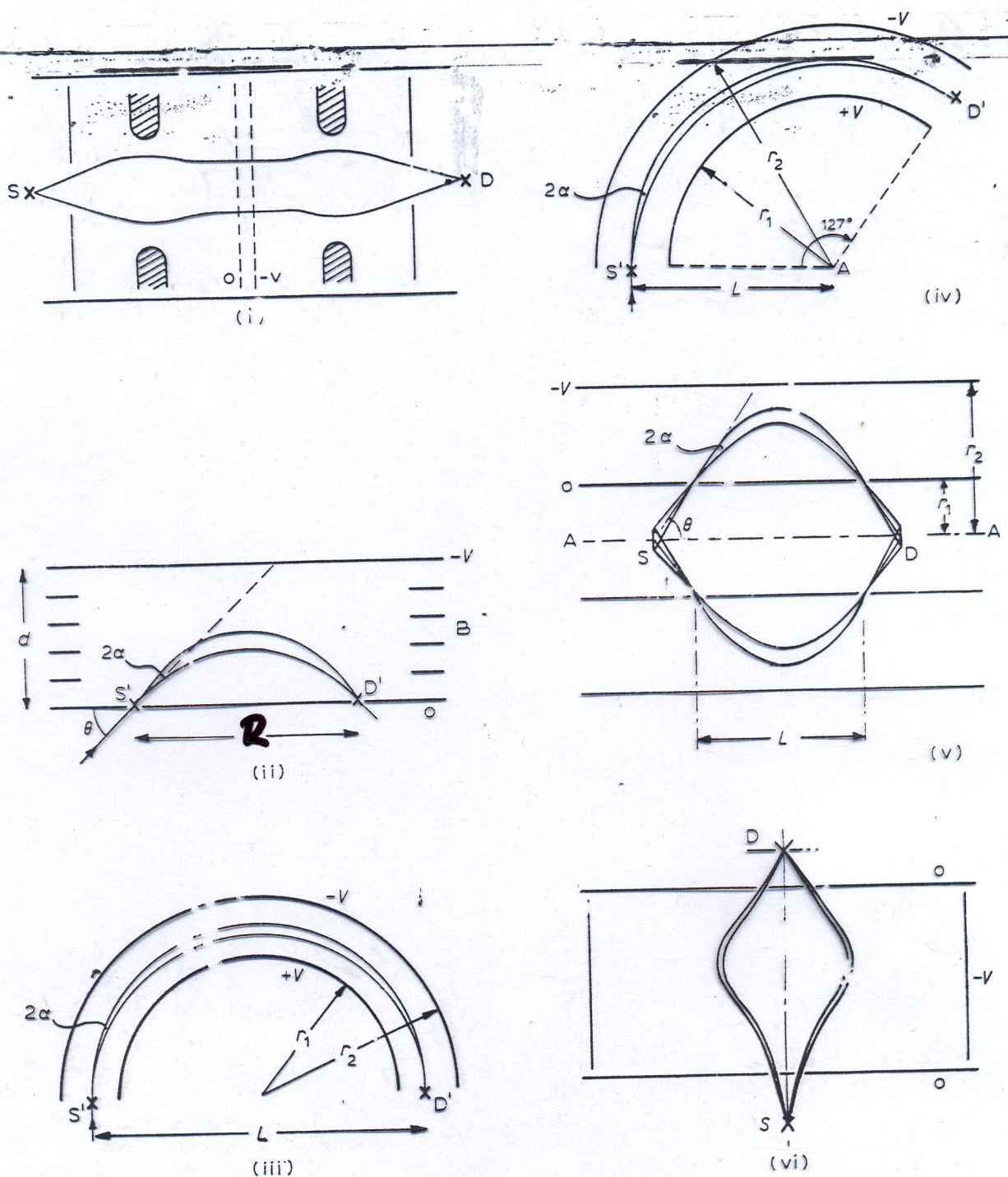
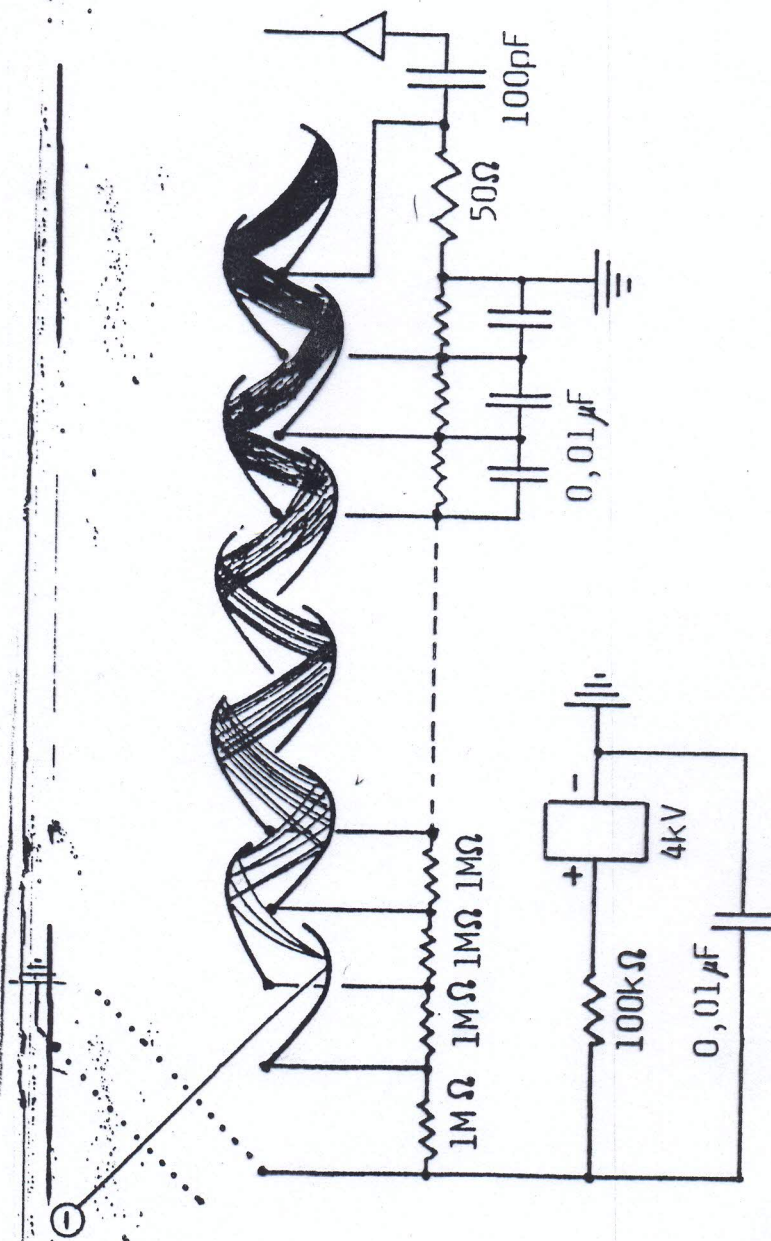


Fig. 14. Electrostatic energy analysers. The dimensions shown on the diagrams define the quantities used for the calculation of the properties of the analysers (see text). (i) Retarding field analyser (cylindrically symmetric about axis SD). (ii) Parallel plate analyser. (iii) Hemispherical analyser (spherically symmetric). (iv)  $127^\circ$  cylindrical analyser (cylindrically symmetric about perpendicular axis through A). (v) Cylindrical mirror (cylindrically symmetric about axis AA). (vi) Allen Bessel box [100] (cylindrically symmetric about axis SD).





Elektronokszorozó. Az ábrán látható bekötésben elektronok, vagy negatív töltésű részecskék detektálására alkalmas.

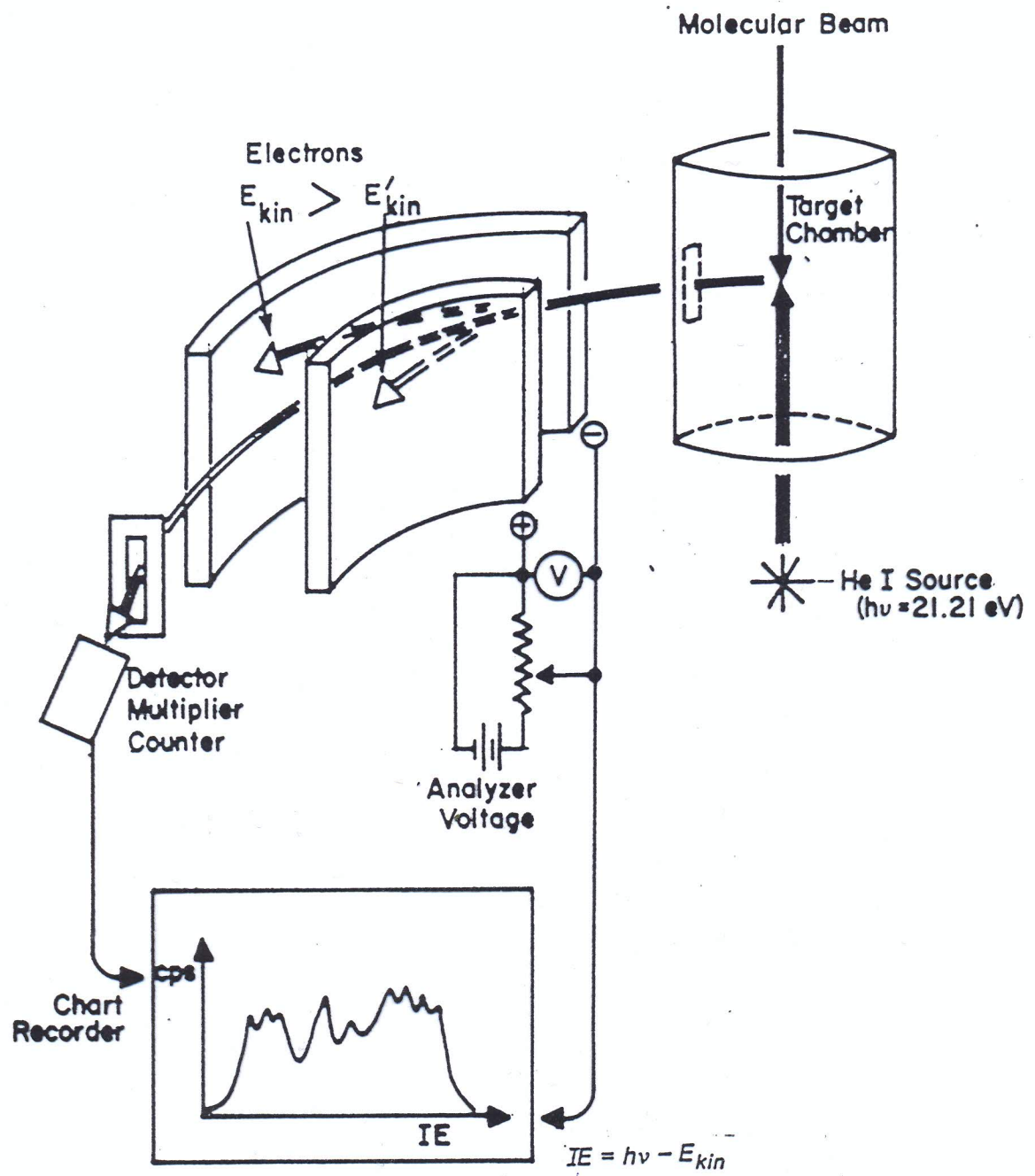
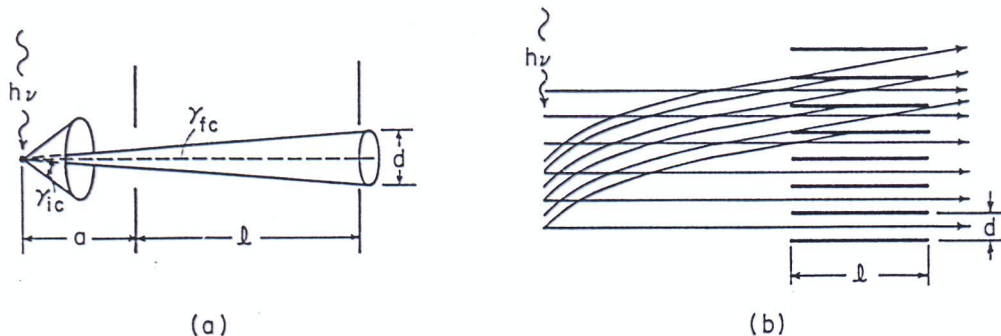


Figure 2. Schematic diagram of a low energy photoelectron spectrometer.





3 Two types of threshold electron energy analyzers. An idealized analyzer with a photoemission source is shown in (a) in which  $\gamma_{ic}$  is the initial planar angle of electron ejection and  $\gamma_{fc}$  is the final planar angle after acceleration. An analyzer useful for extended ionization cross sections is shown in (b). The long pipes, available commercially as collimated hole structures, compete against electrons with significant perpendicular velocity components.

$$\gamma_{fc} = 0.5d / (l + 2a) \quad (l/d) = 10 - 50$$

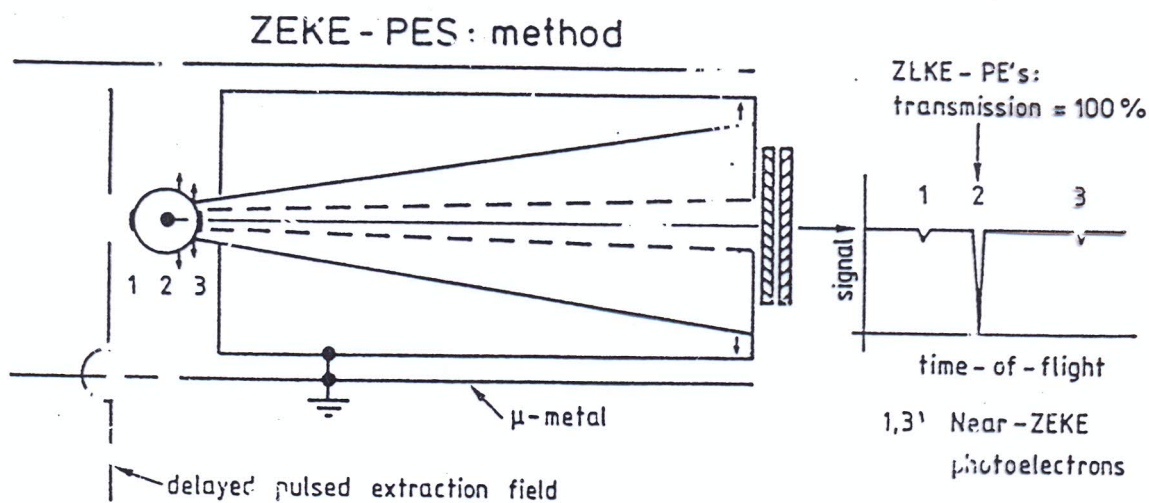


Figure 3 Principle of ZEKE photoelectron detection and discrimination against near-ZEKE electrons. In the example, a field-free delay of  $1 \mu s$  and a kinetic energy of  $0.1 meV$  ( $v = 6 \text{ mm}/\mu s$ ) is chosen for the near-ZEKE electrons 1 and 3. The electrons 1, 3 are discriminated against the ZEKE electron 2 by their TOF. The off-axis near-ZEKE electrons do not reach the detector because of their perpendicular velocity component (steradiancy discrimination).

-ZEKE / 10 -

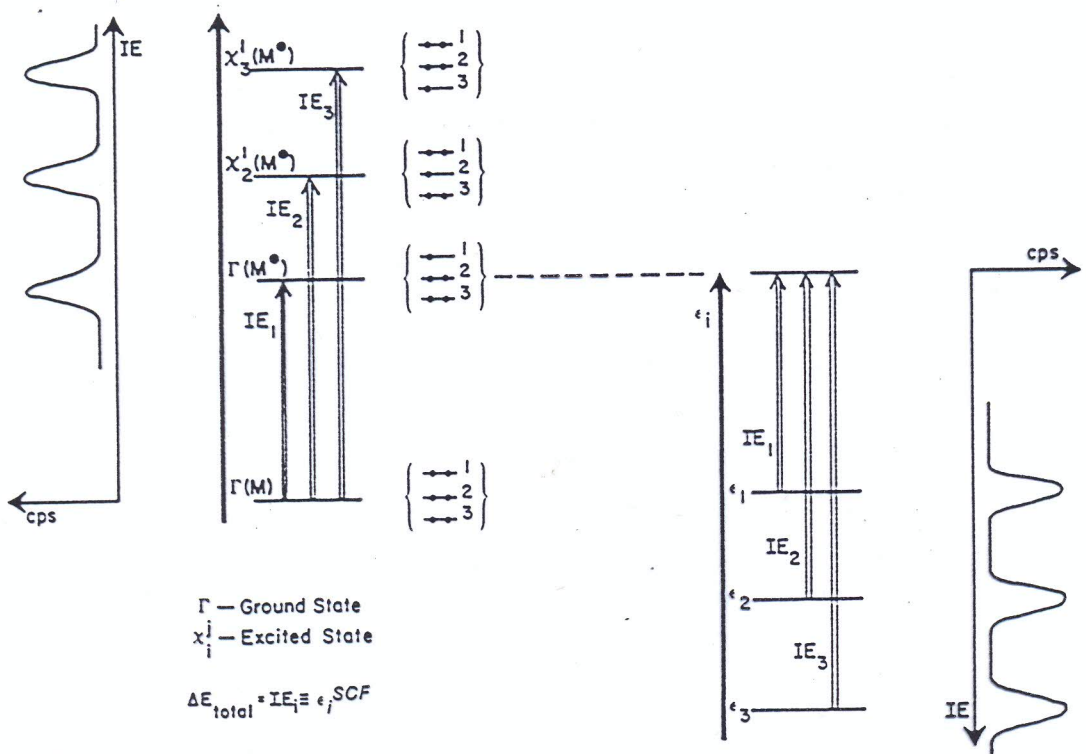


Figure 3. Koopmans' Theorem: the relationship between ionization energies and orbital energies.



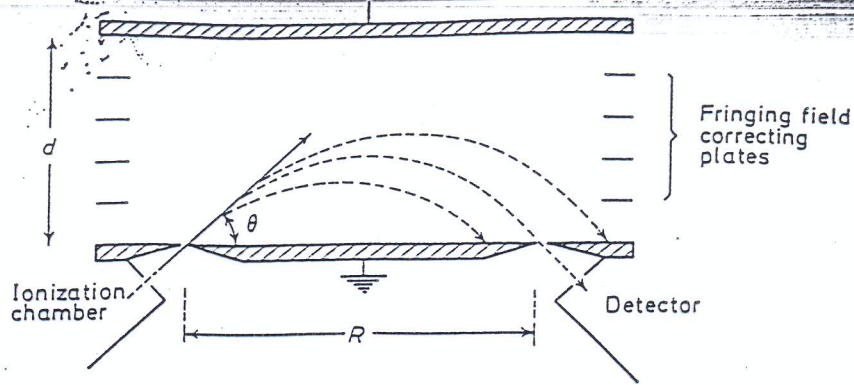


Figure 2.4. Parallel-plate electrostatic analyser in the 45 degree configuration

Electrons of energy  $eV_0$  and mass  $m_e$  enter the field at an angle  $\theta$  by passing through a slit in the plate. The initial electron velocity,  $v_0$ , is given by

$$v_0 = (2eV_0/m_e)^{1/2} \quad (2.2)$$

and its components in the two directions  $x$  and  $y$  perpendicular and parallel to the field, respectively, are

$$v_{0x} = v_0 \cos \theta \quad (2.3)$$

$$v_{0y} = v_0 \sin \theta \quad (2.4)$$

The field is of such a polarity as to decelerate the electrons in the  $y$  direction, while it has no effect on their motion in the  $x$  direction. The equations of motion are therefore

$$\frac{dv_y}{dt} = -\frac{eE}{m_e} \quad (2.5)$$

$$v_y = v_0 \sin \theta - \frac{eE}{m_e} t \quad (2.6)$$

$$y = v_0 t \sin \theta - \frac{eE}{2m_e} t^2 \quad (2.7)$$

$$x = v_0 t \cos \theta \quad (2.8)$$

The electrons follow parabolic trajectories, reaching a maximum height above the lower plate when  $dy/dt = 0$ , that is, when

$$t = \frac{mv_0}{eE} \sin \theta \quad (2.9)$$

The second half of the trajectory is the mirror image of the first, so that the total time until the electrons return to the lower plate is just twice this value. The distance they have then travelled in the  $x$  direction, the range, is

$$R = 2v_0 \cos \theta \frac{mv_0}{eE} \sin \theta \quad (2.10)$$

$$R = \frac{2eV_0}{eE} \sin 2\theta \quad (2.11)$$

The condition for focusing is that the range should be independent of  $\theta$ , that is,  $\frac{dR}{d\theta} = 0$ . This is fulfilled at  $\theta = 45$  degrees, where  $\sin 2\theta = 1$ .

In a practical analyser, the range,  $R$ , is fixed by the positions of the inlet and entrance slits, and different electrons are brought into focus on the exit slit by varying the electric field. If a potential,  $V$ , is applied to the plates, the field is  $V/d$ , so that the operating condition of the analyser is

$$\frac{V}{V_0} = \frac{2d}{R} \quad (2.12)$$